

MRP, MRP-II, MES

MRP, MRP-II, MES

*The scientific-methodical going is expounded near the adaptive planning of volumes of products, which allows to promote flexibility of production, reduce loss in investigation of rejections of demand from prognosis values products, consequently, to promote efficiency of production activity of enterprise. Offered approach conforms to the requirements of the planning systems on the enterprises of MRP, MRP-II, MES and can be included in the mechanisms of development of plans within the framework of these systems.*

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$D^o -$  ;

$D^p -$  ;

$D^v -$  ;

$D_{i,t}^p < D_{i,t}^v < D_{i,t}^o, i=1..I, t=1..T.$

(  $D^o, D^p, D^v$  ),

(  $V^o, V^p, V^v$  ),

$\Psi^o, \Psi^p$

$\Psi^v$

$Z \rightarrow \max,$

$Z^p, Z^v, Z^o.$

$Z^p < Z^v < Z^o.$

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		0	$f_1(D^v, V^p)$	$f_1(D^o, V^p)$
		$f_2(D^p, V^v)$	0	$f_1(D^o, V^v)$
		$f_2(D^p, V^o)$	$f_2(D^v, V^o)$	0

)

:  $(V_i^v - V_i^p) \cdot (p_i - c_i) -$

$1 - \gamma_i$  ( )

$\gamma_i,$

$\gamma_i$

$$\gamma_i \frac{V_i^v}{V_i^p}.$$

$$\gamma_i \quad \text{S-} \quad ( \quad . \quad 1).$$

$$f_1(D^v, V^p) = \sum_{i=1}^n \left( (V_i^v - V_i^p) \cdot (p_i - c_i) \cdot \left( 1 - \gamma_i \left( \frac{V_i^v}{V_i^p} \right) \right) \right);$$

$$f_1(D^o, V^p) = \sum_{i=1}^n \left( (V_i^o - V_i^p) \cdot (p_i - c_i) \cdot \left( 1 - \gamma_i \left( \frac{V_i^o}{V_i^p} \right) \right) \right);$$

$$f_1(D^o, V^v) = \sum_{i=1}^n \left( (V_i^o - V_i^v) \cdot (p_i - c_i) \cdot \left( 1 - \gamma_i \left( \frac{V_i^o}{V_i^v} \right) \right) \right).$$

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( \quad . \quad ),

$Q_i$ .

( \quad  $\lambda_i$

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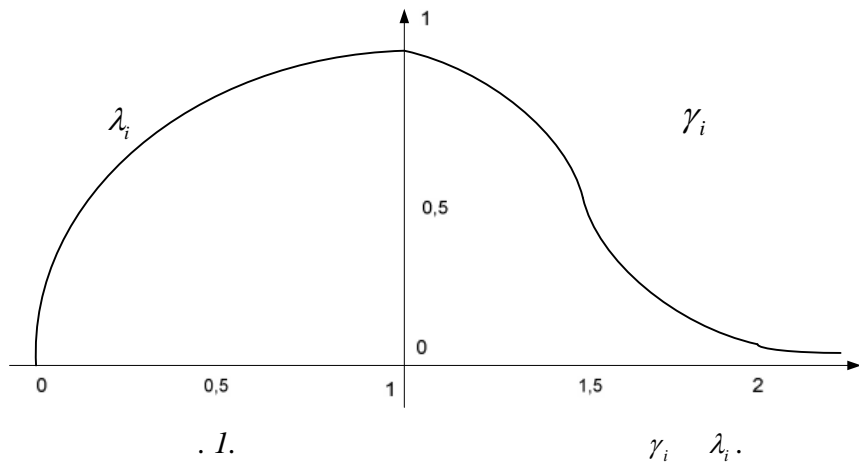
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$$f_2(D^p, V^v) = \sum_{i=1}^i \left( Q_i \cdot (V_i^v - S_i^p) \cdot \left( 1 - \lambda_i \left( \frac{S_i^p}{V_i^v} \right) \right) \right);$$

$$f_2(D^p, V^o) = \sum_{i=1}^i \left( Q_i \cdot (V_i^o - S_i^p) \cdot \left( 1 - \lambda_i \left( \frac{S_i^p}{V_i^o} \right) \right) \right);$$

$$f_2(D^v, V^o) = \sum_{i=1}^i \left( Q_i \cdot (V_i^o - S_i^v) \cdot \left( 1 - \lambda_i \left( \frac{S_i^v}{V_i^o} \right) \right) \right).$$

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$\gamma_i$  S-  
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 0.  $\gamma_i : [1; +\infty)$ ;  $\lambda_i : (0; 1]$  (  
 1, ...  $\lambda_i$  ).  
 $\lambda_i : [0; 1]$  (  
 1, ... ;  
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-	$\rho^p$	$f_1(D^v, V^p) \cdot \rho^v + f_1(D^o, V^p) \cdot \rho^o$	
	$\rho^v$	$f_2(D^p, V^v) \cdot \rho^p + f_1(D^o, V^p) \cdot \rho^o$	
-	$\rho^o$	$f_2(D^p, V^o) \cdot \rho^p + f_2(D^v, V^o) \cdot \rho^v$	

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